

Retrieval of Inherent Optical Properties in the Coastal Zone: An update of the Quasi-Analytical Approach (QAA)

Zhongping Lee
University of Massachusetts Boston

Basic assumptions of QAA:

- 1. Remote sensing reflectance (r_{rs}) can be expressed as an algebraic function of absorption (a) and backscattering (b_b) coefficients;**
- 2. A reference wavelength (λ_0) can be found where $a(\lambda_0)$ can be well estimated;**
- 3. Particle backscattering coefficient (b_{bp}) has well established wavelength dependence.**

Assumption 1:

$$r_{rs} = \text{Fun}(a, b_b) \quad \text{-- for optically deep waters.}$$

$$r_{rs}(\lambda) \approx (g_0 + g_1 u(\lambda))u(\lambda)$$

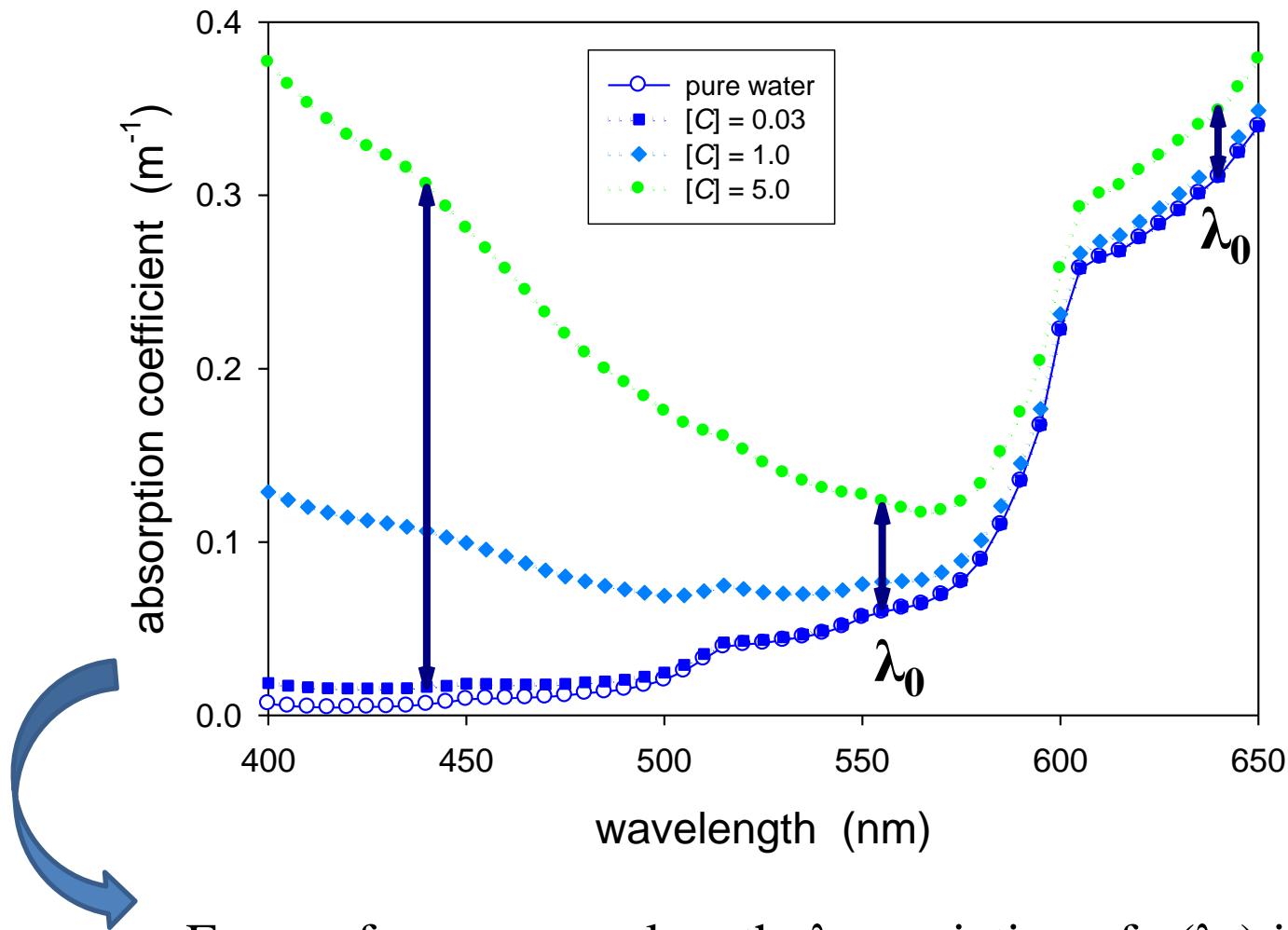
- with:

$$u(\lambda) = \frac{b_b(\lambda)}{a(\lambda) + b_b(\lambda)}$$

$$r_{rs}(\lambda) \xrightarrow{\hspace{1cm}} u(\lambda)$$

When $a(\lambda)$ is known, $b_b(\lambda)$ can be calculated; or,
When $b_b(\lambda)$ is known, $a(\lambda)$ can be calculated.

Assumption 2:



Assumption 2:

$$a(\lambda_0) = a_w(\lambda_0) + \delta a(\lambda_0)$$

$$\chi = \log \left(\frac{r_{rs}(443) + r_{rs}(490)}{r_{rs}(\lambda_0) + 5 \frac{r_{rs}(667)}{r_{rs}(490)} r_{rs}(667)} \right)$$

$$a(\lambda_0) = a_w(\lambda_0) + 10^{-1.146 - 1.366\chi - 0.469\chi^2}$$

-- empirically developed with synthetical data

For λ_0 as 550, 555, or 560 nm.

Assumption 3:

$$b_b(\lambda) = b_{bw}(\lambda) + b_{bp}(\lambda)$$

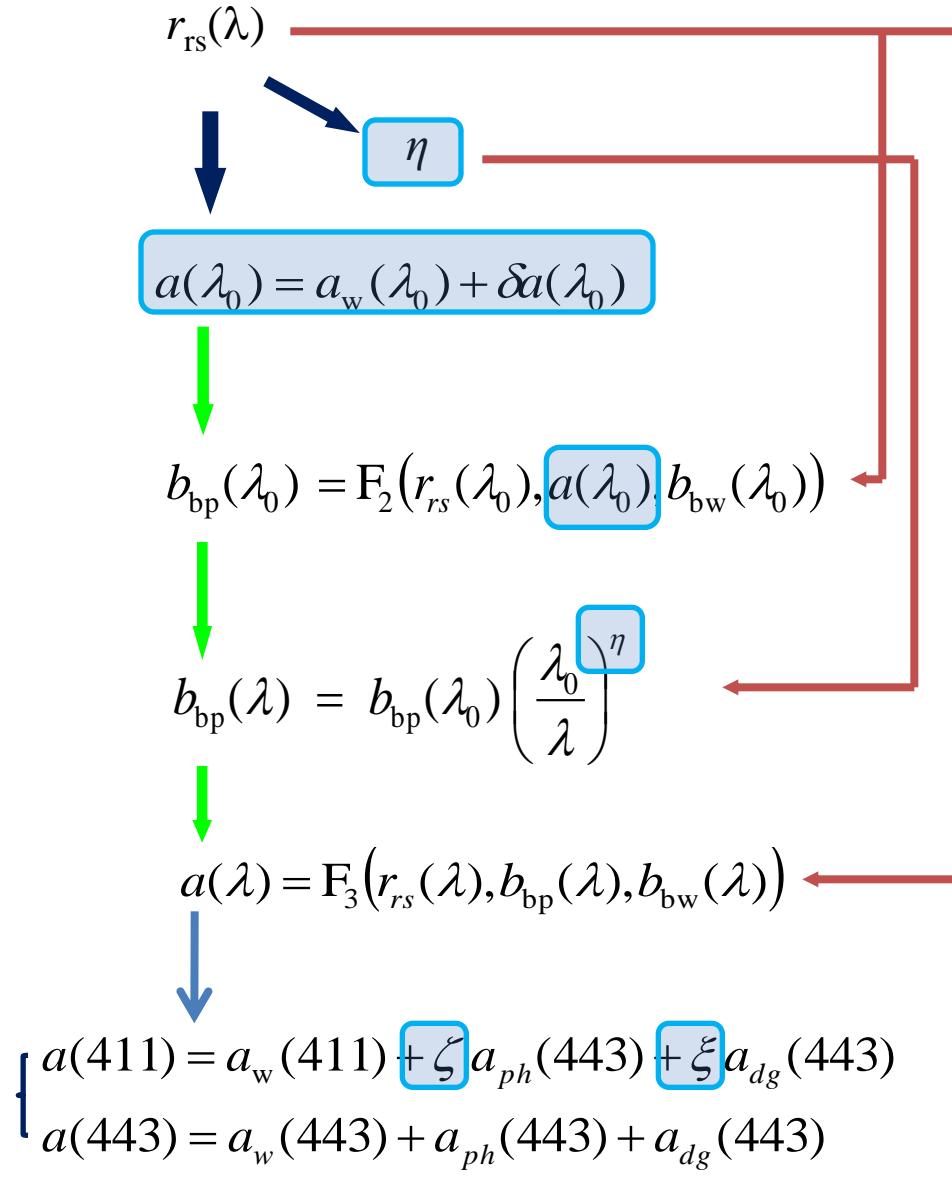
$$b_{bp}(\lambda) = b_{bp}(\lambda_0) \left(\frac{\lambda_0}{\lambda} \right)^\eta$$

Estimation of η :

$$\eta = 2.0 \left(1 - 1.2 \exp \left(-0.9 \frac{r_{rs}(443)}{r_{rs}(555)} \right) \right)$$

-- empirical, NOMAD

The data flow of QAA:



$$\zeta = \frac{a_{ph}(411)}{a_{ph}(443)}$$

$$\xi = \frac{a_{dg}(411)}{a_{dg}(443)}$$

Decompose total absorption coefficient:

$$\begin{cases} a(410) = a_w(410) + \zeta a_{ph}(440) + \xi a_{dg}(440), \\ a(440) = a_w(440) + a_{ph}(440) + a_{dg}(440). \end{cases}$$



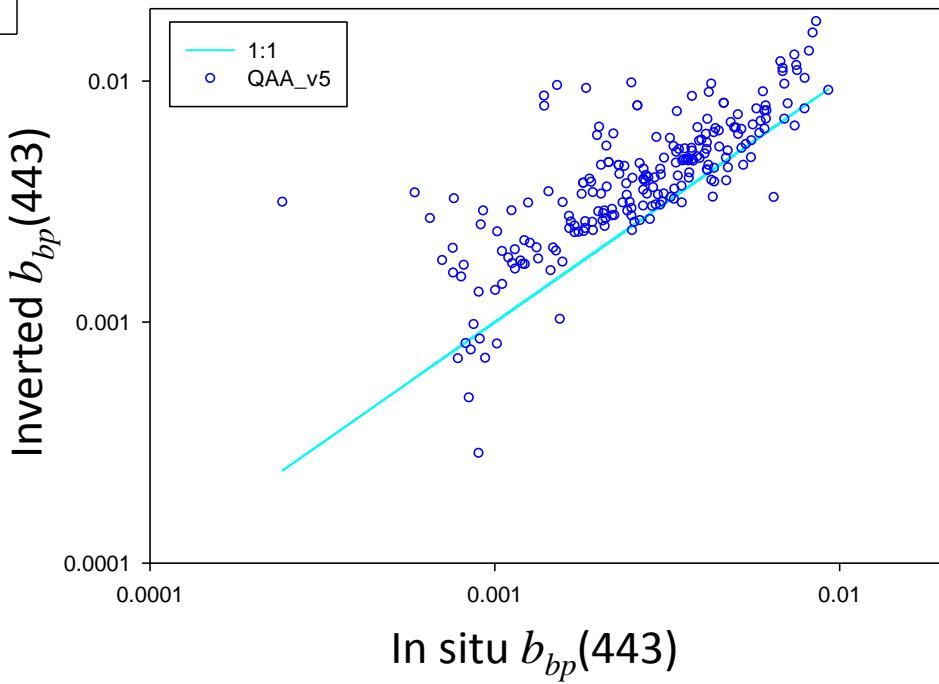
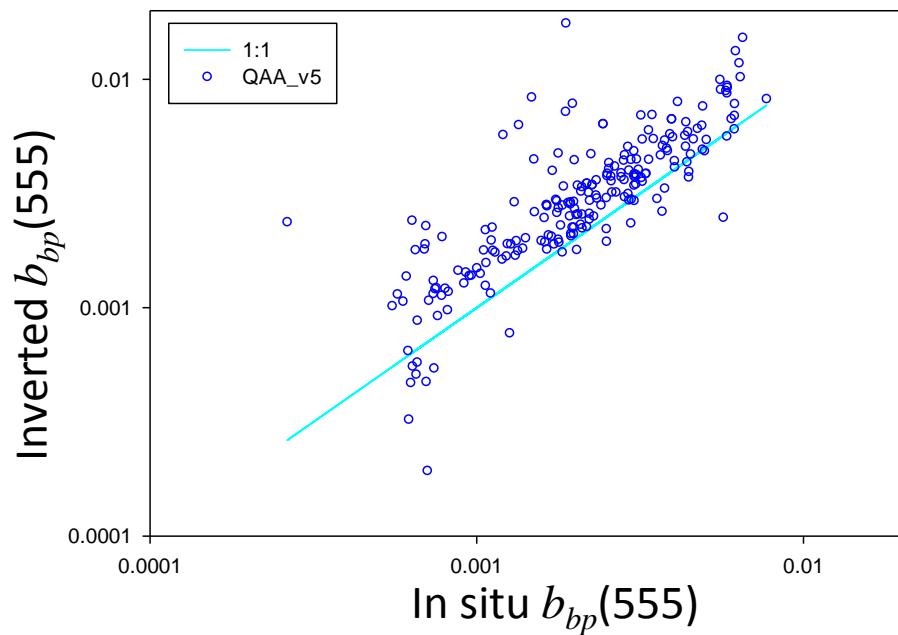
$$\begin{cases} a_g(440) = \frac{(a(410) - \zeta a(440)) - (a_w(410) - \zeta a_w(440))}{\xi - \zeta}, \\ a_{ph}(440) = a(440) - a_w(440) - a_{dg}(440). \end{cases}$$

$$\zeta = 0.74 + \frac{0.2}{0.8 + r_{rs}(443)/r_{rs}(\lambda_0)}$$

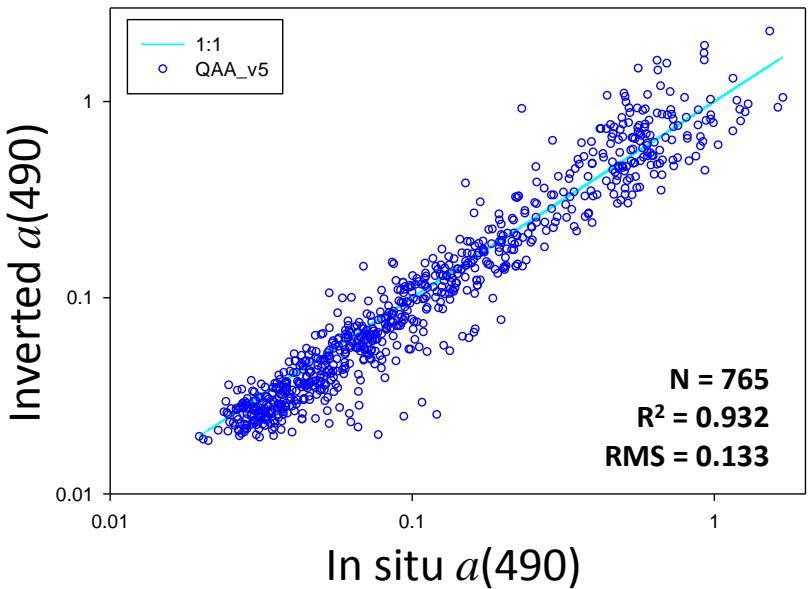
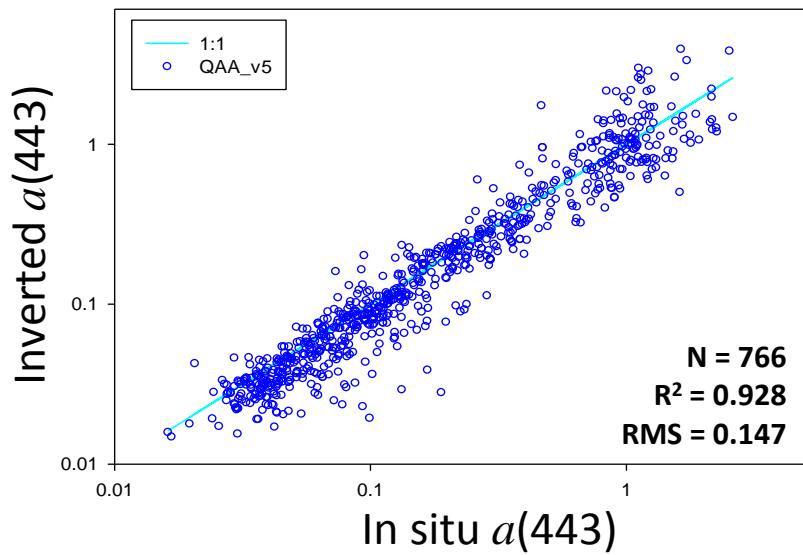
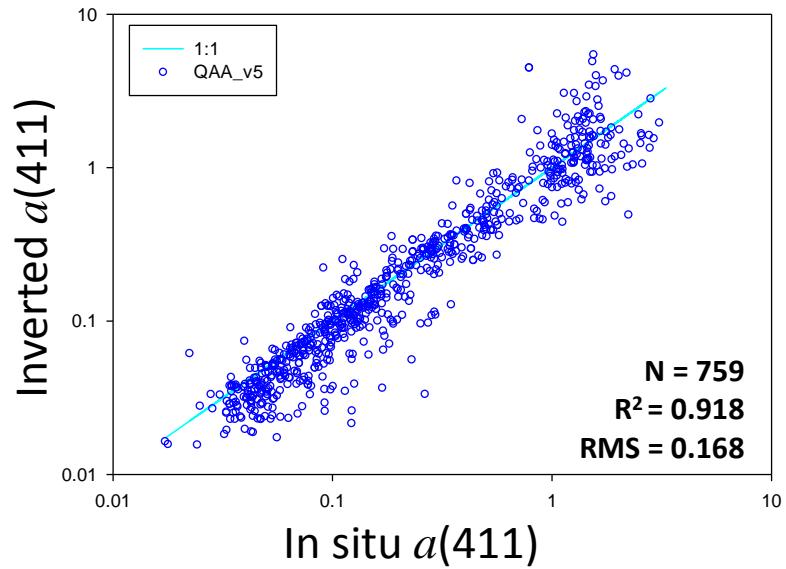
$$\xi = e^{S(443-411)},$$

$$S = 0.015 + \frac{0.002}{0.6 + r_{rs}(443)/r_{rs}(\lambda_0)}$$

Application with NOMAD

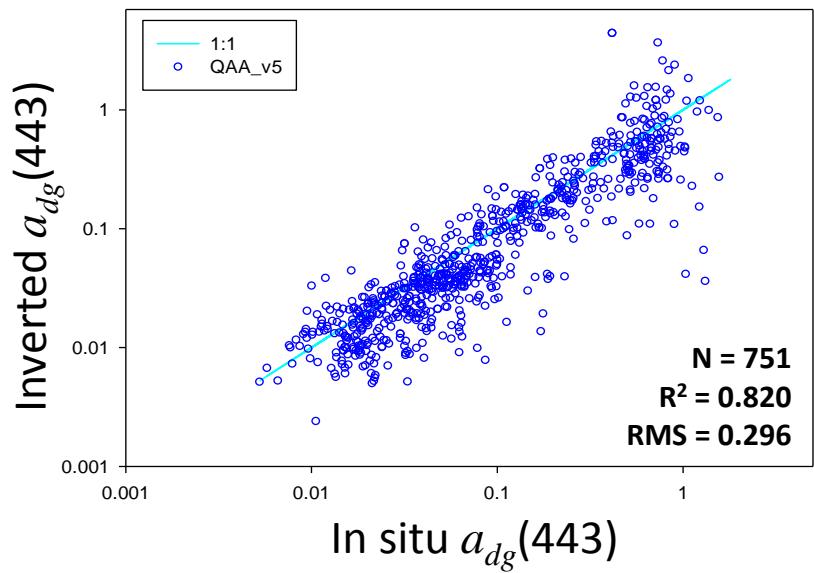
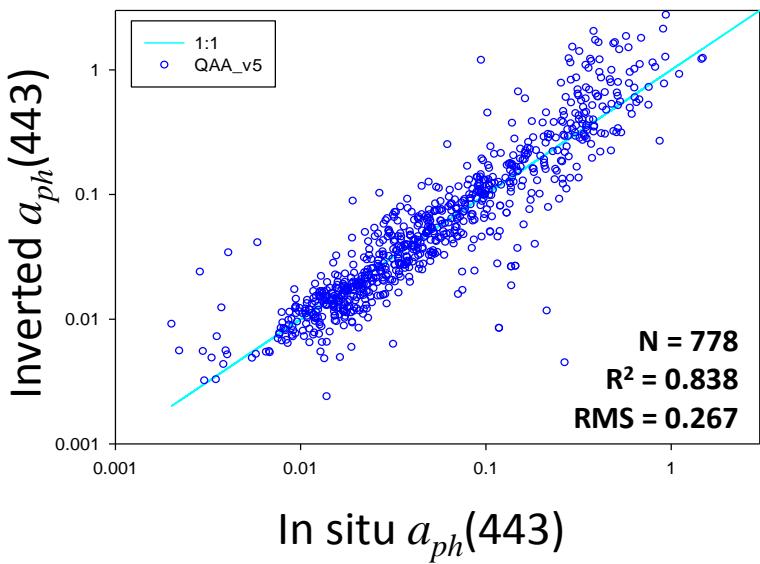


Application with NOMAD



$$a(\lambda) = \frac{(1 - u(\lambda))b_b(\lambda)}{u(\lambda)}$$

Application with NOMAD



Uncertainty quantification:

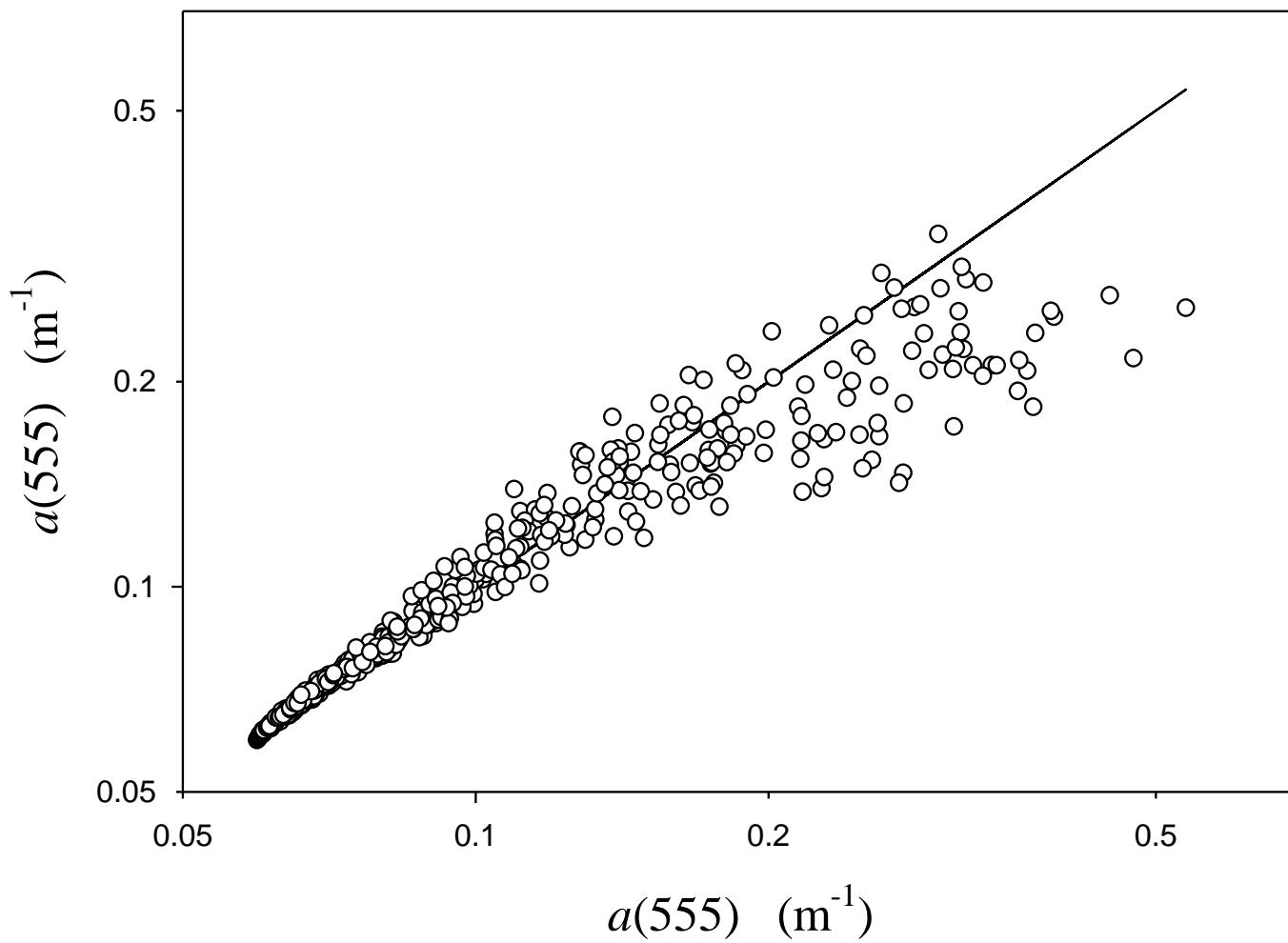
The QAA scheme is applicable to all waters. The only difference is, for different waters, the error bar.

Two error sources solely from the algorithm: $\Delta a(\lambda_0)$ and $\Delta \eta$.

From error propagation theory:

$$\Delta b_{bp}(\lambda) = \sqrt{\left(B(\lambda_0) \left(\frac{\lambda_0}{\lambda} \right)^\eta \Delta a(\lambda_0) \right)^2 + \left([B(\lambda_0) a(\lambda_0) - b_{bw}(\lambda_0)] \left(\frac{\lambda_0}{\lambda} \right)^\eta \ln \left(\frac{\lambda_0}{\lambda} \right) \Delta \eta \right)^2}$$

$$\Delta a(\lambda) = \sqrt{\left(A(\lambda) B(\lambda_0) \left(\frac{\lambda_0}{\lambda} \right)^\eta \Delta a(\lambda_0) \right)^2 + \left(A(\lambda) [B(\lambda_0) a(\lambda_0) - b_{bw}(\lambda_0)] \left(\frac{\lambda_0}{\lambda} \right)^\eta \ln \left(\frac{\lambda_0}{\lambda} \right) \Delta \eta \right)^2}$$



IOCCG synthetical data

Uncertainty resulted from Rrs:

$$\Delta u(\lambda) = \frac{1}{\sqrt{(g_0)^2 + 4 g_1 r_{rs}(\lambda)}} \Delta r_{rs}(\lambda).$$

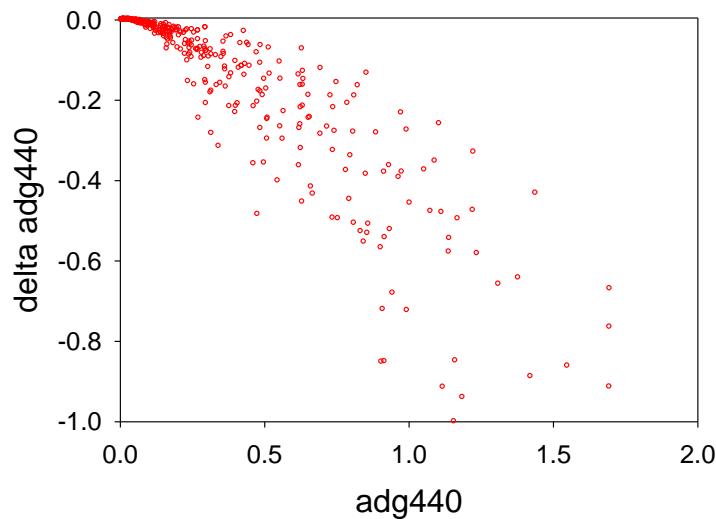
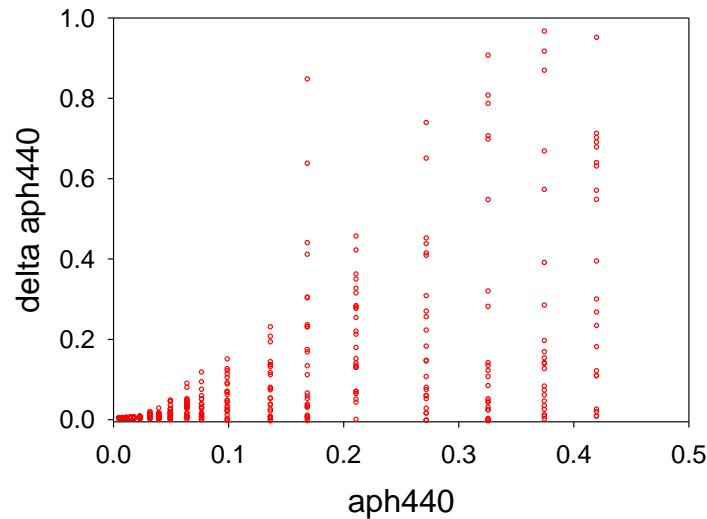
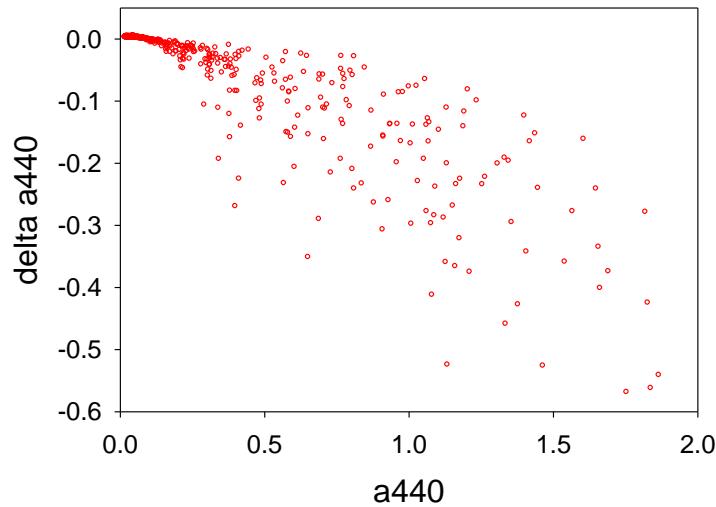
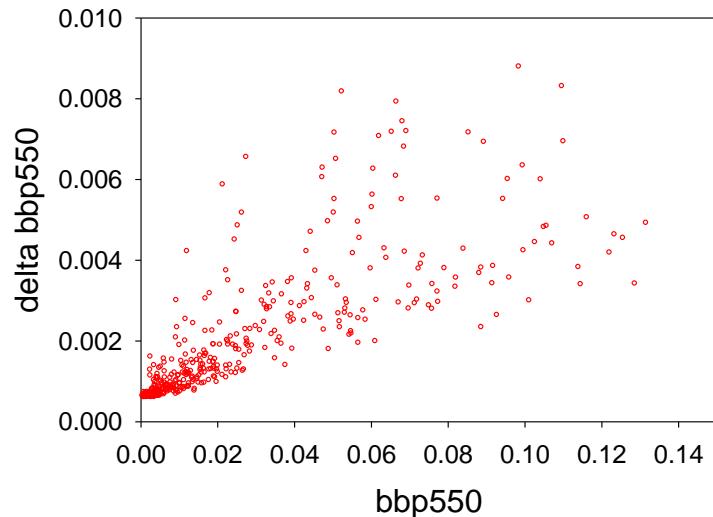


$$\Delta b_{bp}(\lambda_0) = \frac{a(\lambda_0)}{1 - u(\lambda_0)} \Delta u(\lambda_0) + \frac{u(\lambda_0) a(\lambda_0)}{(1 - u(\lambda_0))^2} \Delta u(\lambda_0)$$

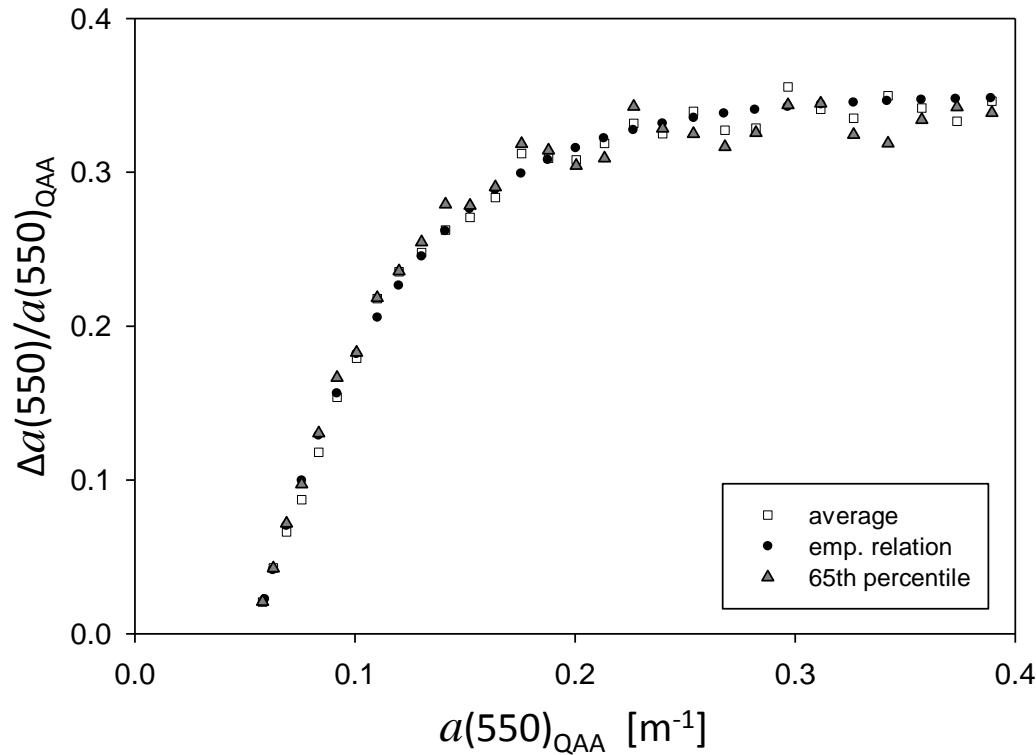


$$\Delta a(\lambda) = \frac{1 - u(\lambda)}{u(\lambda)} \Delta b_b(\lambda) - \left(\frac{1 - u(\lambda)}{(u(\lambda))^2} + \frac{1}{u(\lambda)} \right) b_b(\lambda) \Delta u(\lambda).$$

Impact of a spectrally flat bias of 0.0005 sr^{-1} .



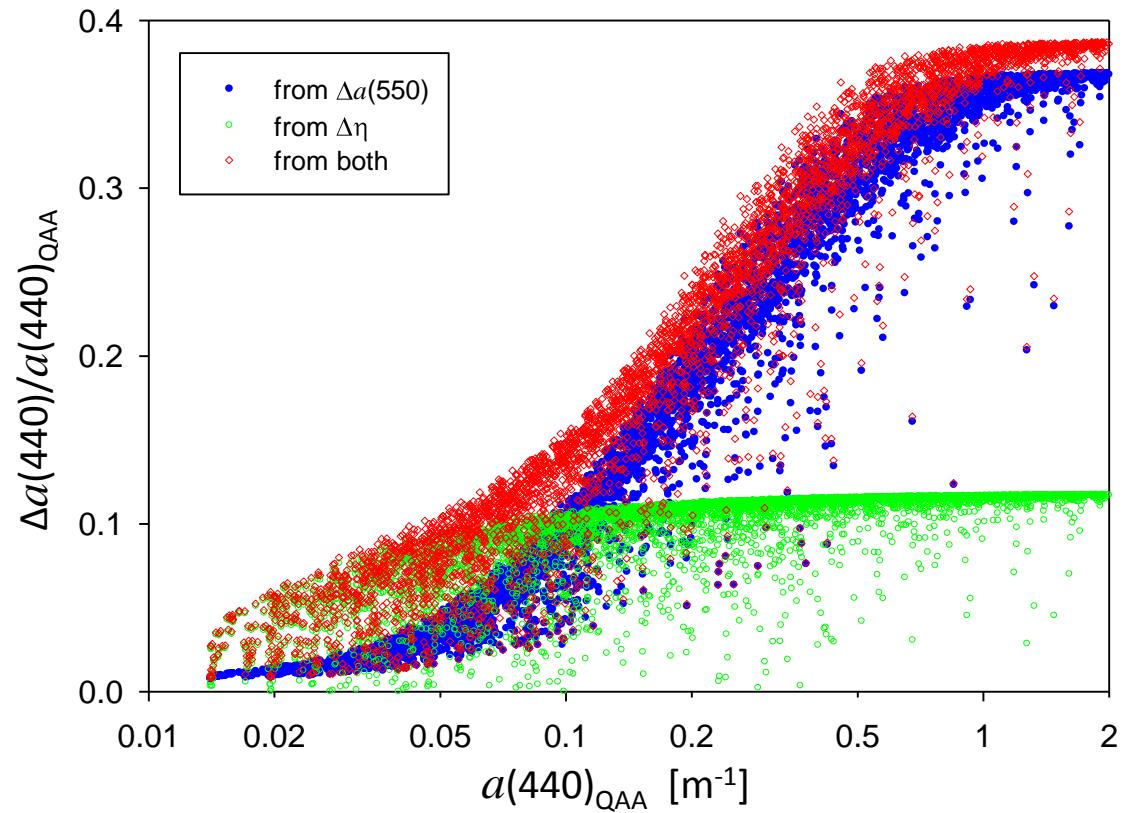
$a(\lambda_0: 550)$ uncertainty:



$$\Delta a(550) \approx 0.35 \left(1 - 2.4 \text{Exp}(-16.0 a(550)_{QAA}) \right) a(550)_{QAA}$$

Higher uncertainty for more turbid waters (higher $a(550)$).

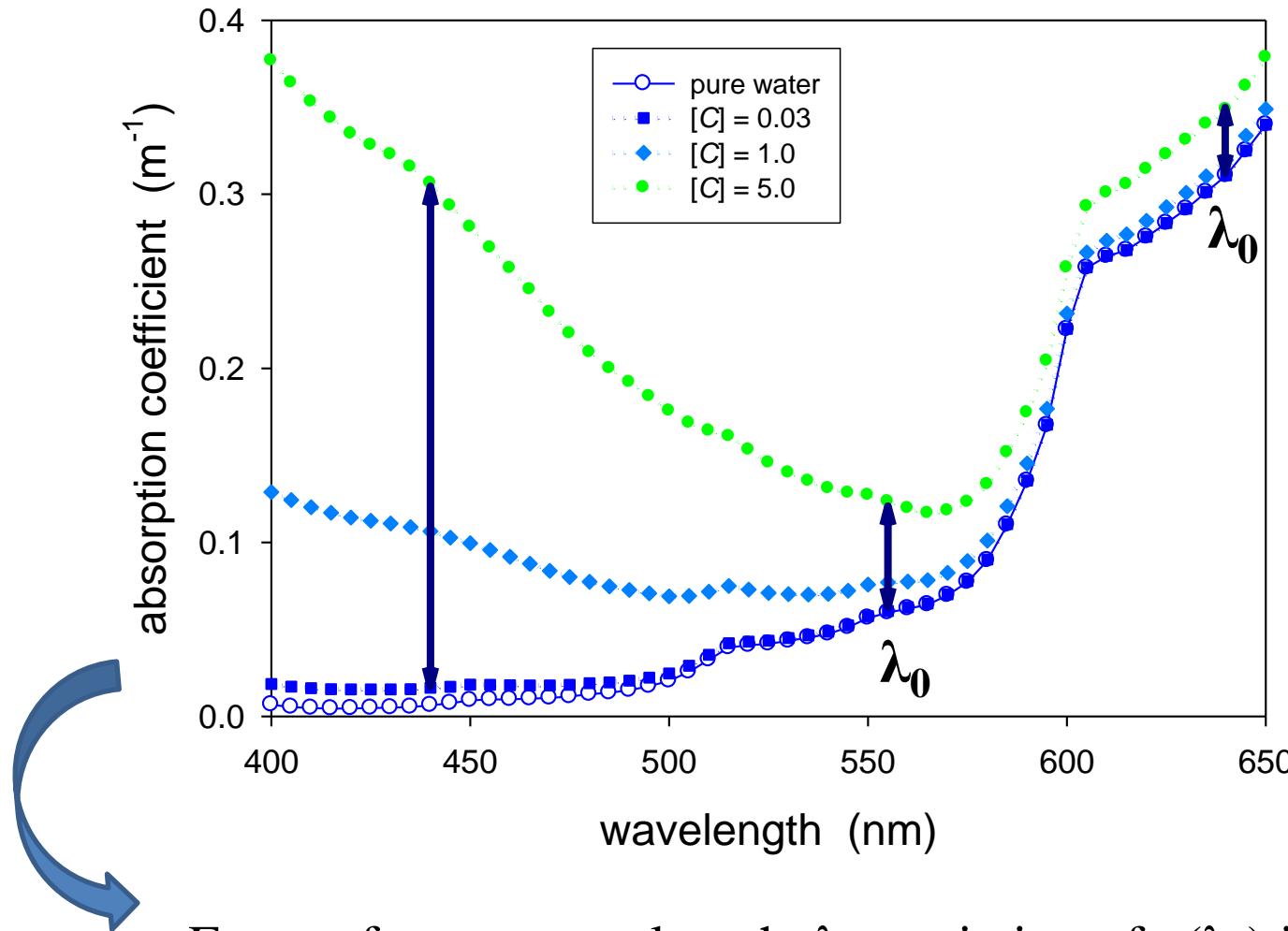
Uncertainty of $a(440)$:



Larger uncertainties for coastal waters ...

Reduce IOP uncertainties for Turbid waters

Assumption 2:



For a reference wavelength, λ_0 , variation of $a(\lambda_0)$ is limited.

Assumption 2:

$$a(\lambda_0) = a_w(\lambda_0) + \delta a(\lambda_0)$$

λ_0 set as 670 nm, instead of 55x nm

$$a(670) = a_w(670) + 0.07 \left(\frac{R_{rs}(670)}{R_{rs}(440)} \right)^{1.1}$$

(Lee et al 2002)

$R_{rs}(670)$ for most of the ocean waters are too small, then high uncertainty for b_{bp} .

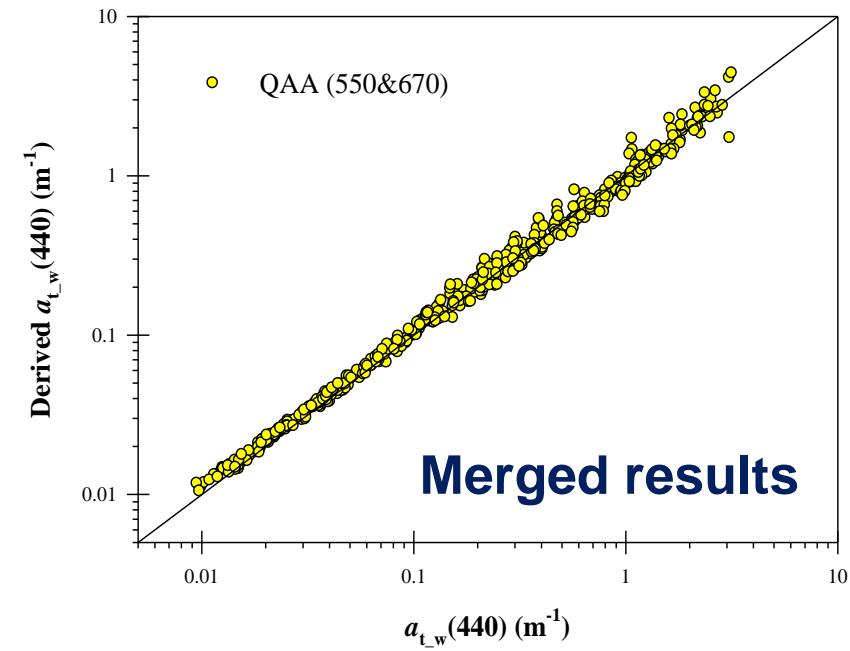
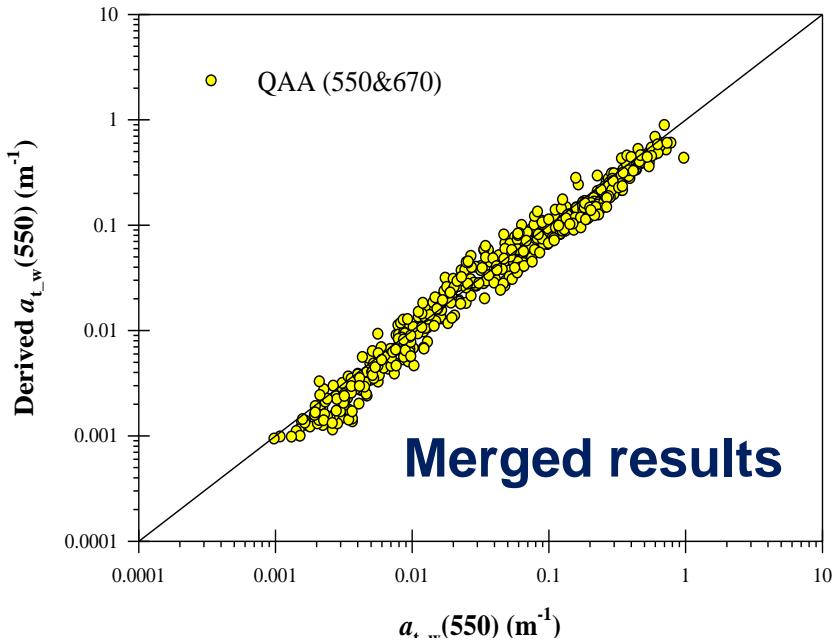
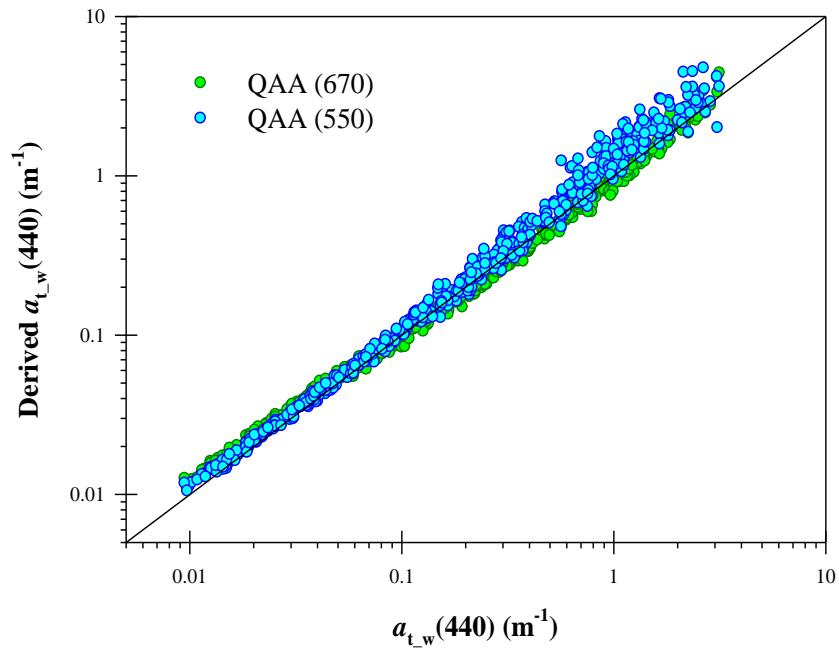
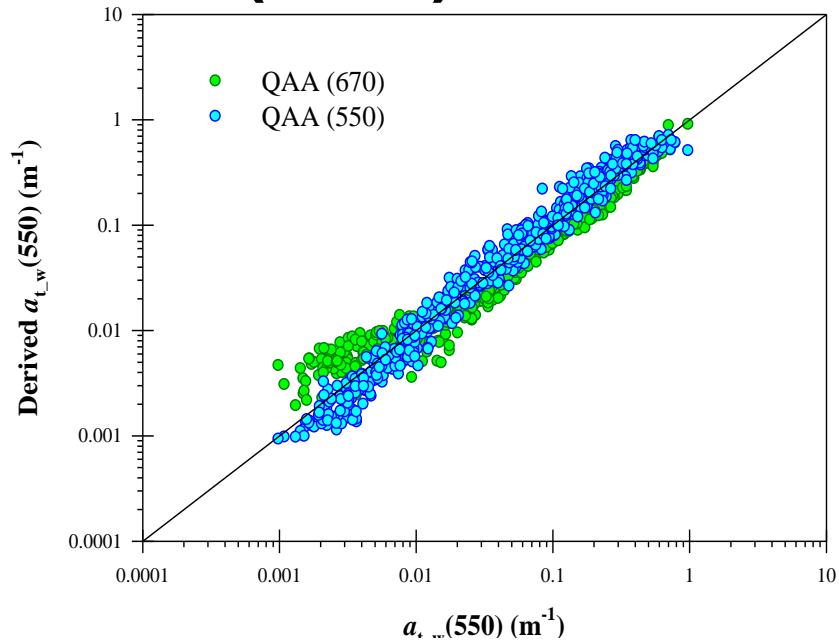
What would be the “proper” situation for a switch of λ_0 ?

If $R_{rs}(670) \geq 0.0015 \text{ sr}^{-1}$, $\lambda_0 = 670$;
Else, $\lambda_0 = 55x$.

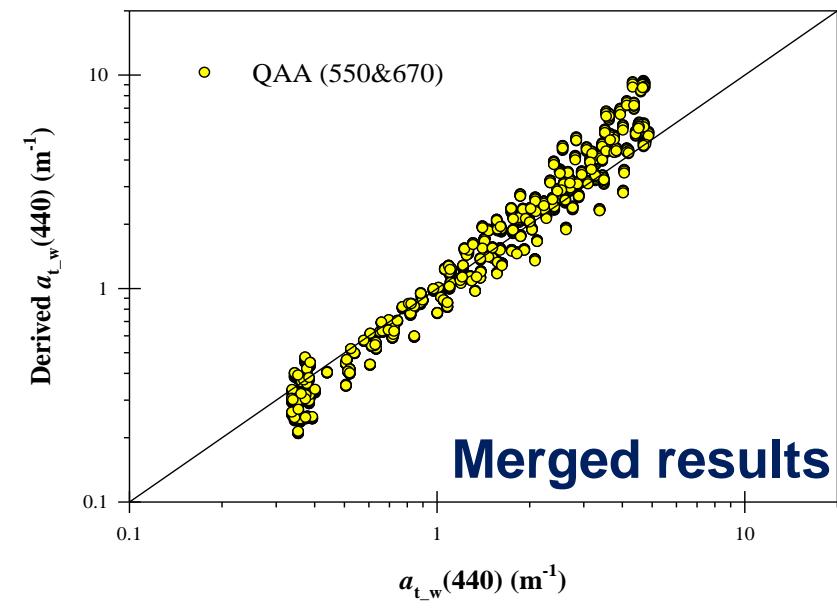
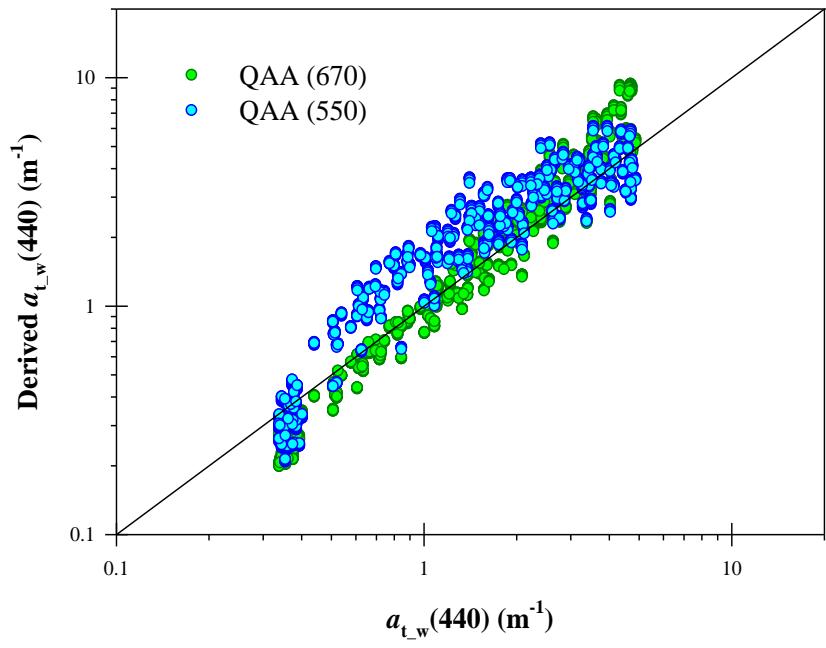
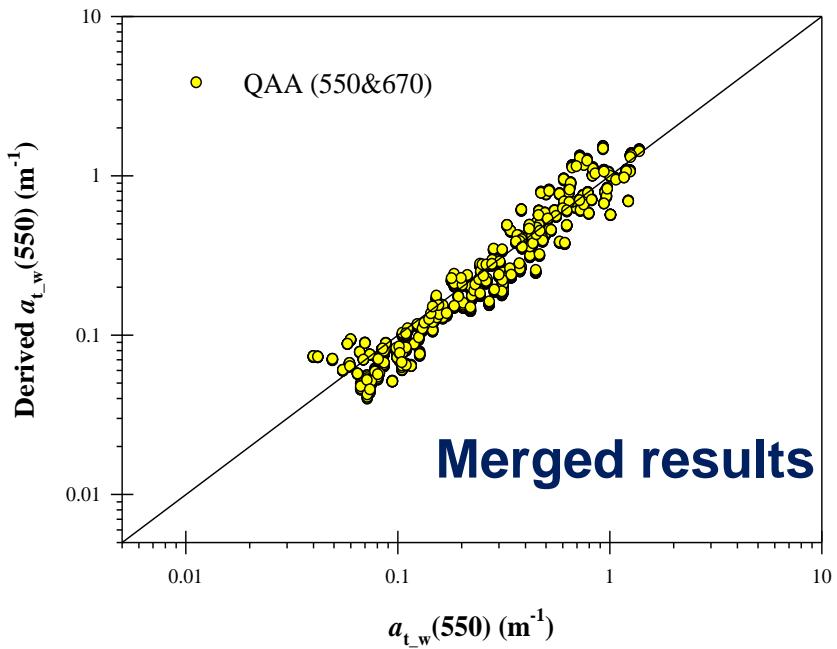
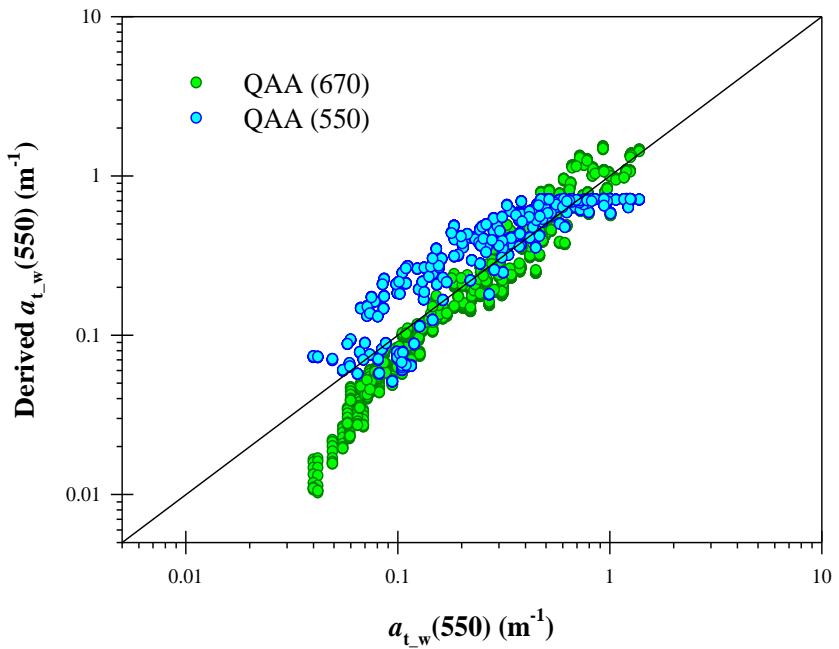
When $R_{rs}(670) = 0.0015 \text{ sr}^{-1}$, the noise-equivalent Rrs (MODIS) ~5%.

0.0015 sr^{-1} is also the value of $R_{rs}(555)$ of oligotrophic oceans.

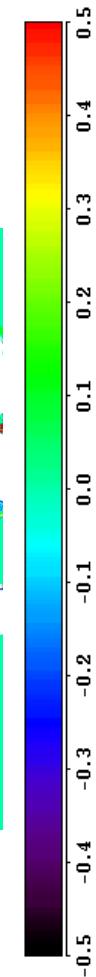
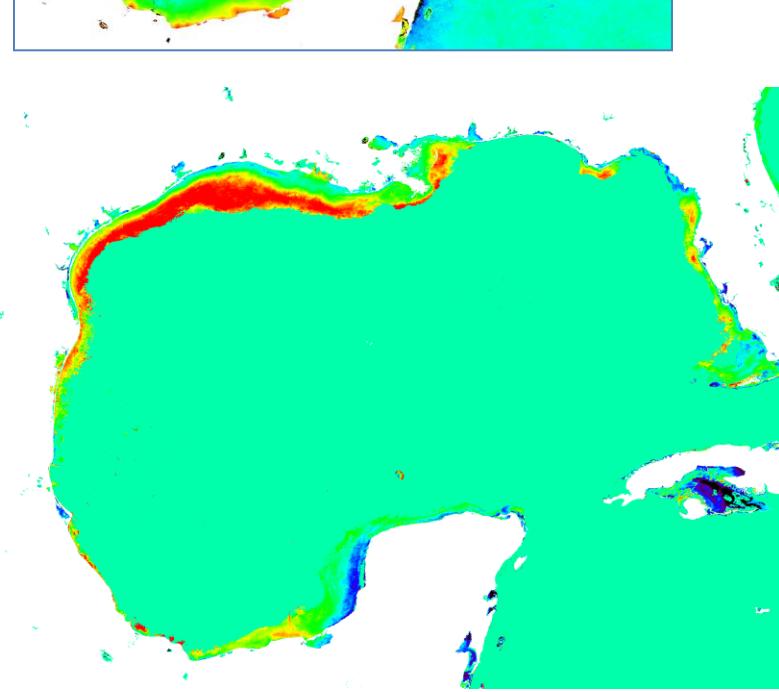
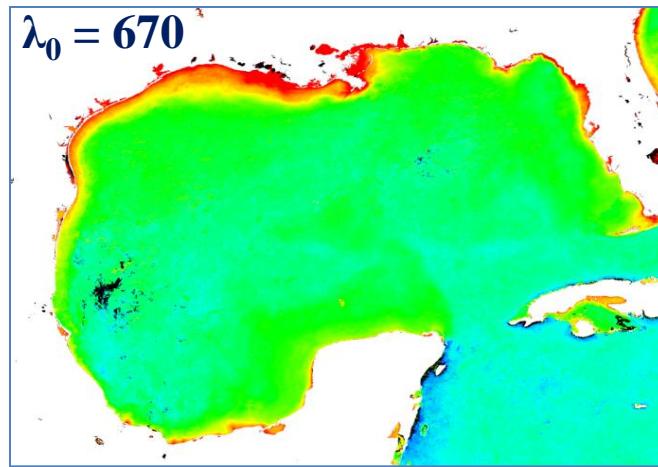
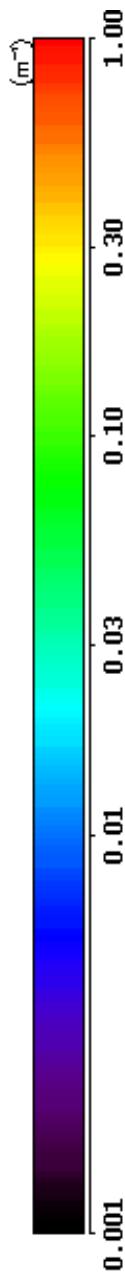
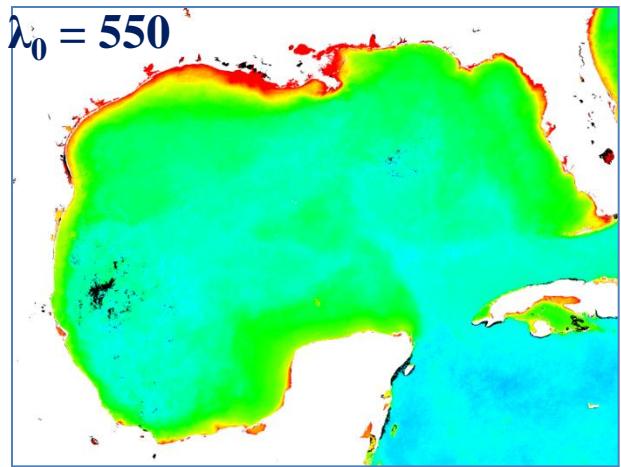
IOCCG (2006) data set



Extended Hydrolight simulation for highly turbid water:



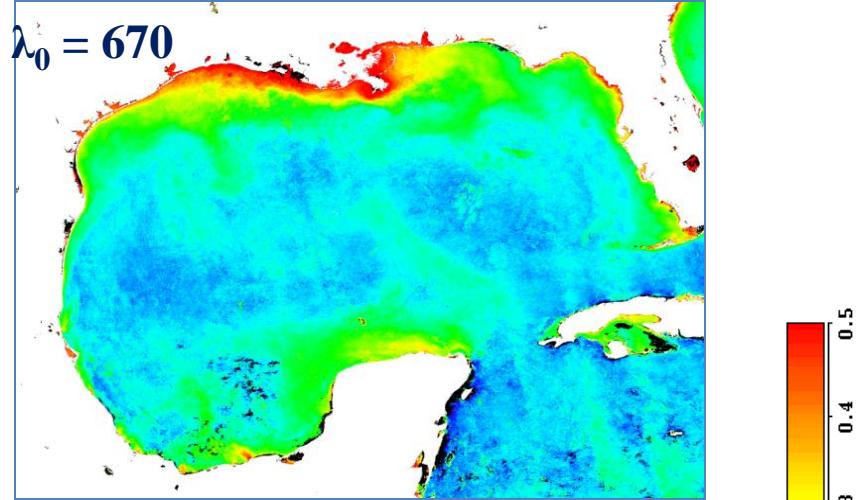
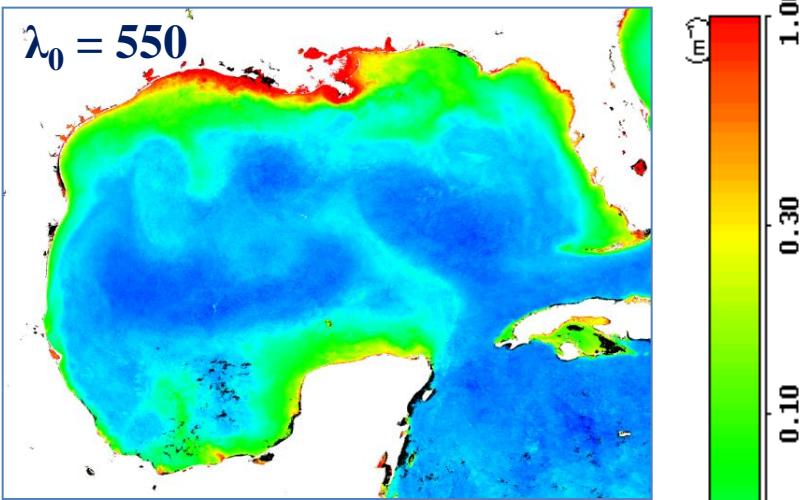
Apply to MODIS images



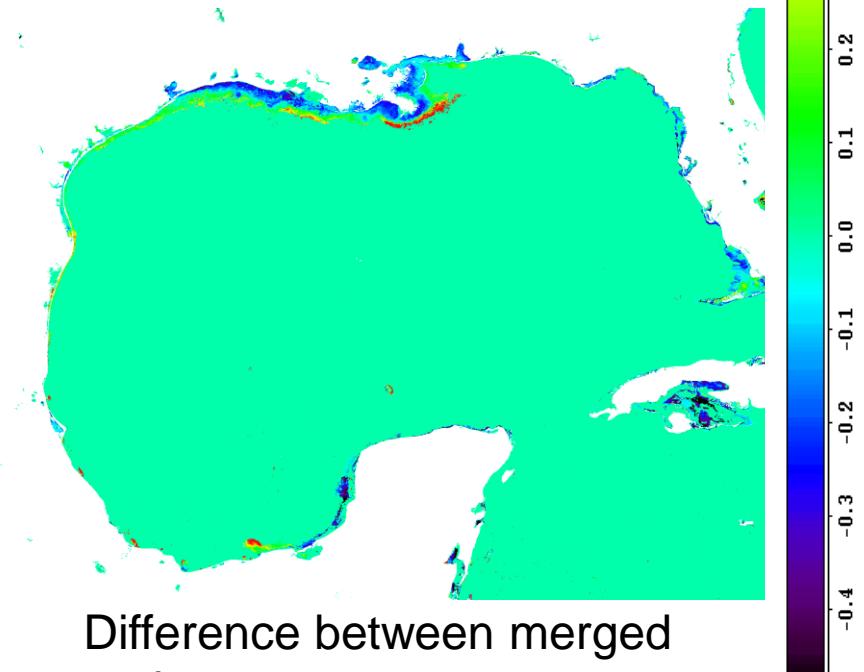
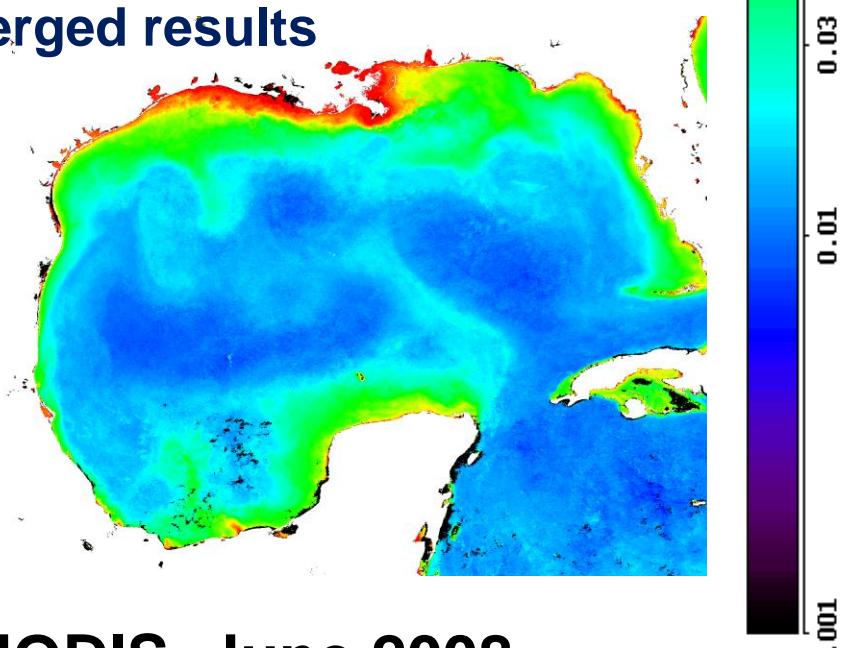
MODIS, January 2008

Difference between merged
and $\lambda_0 = 550$

Apply to MODIS images



Merged results



MODIS, June 2008

Difference between merged
and $\lambda_0 = 550$

Main points of QAA:

1. A model-based semi-analytical algorithm.
2. Applicable to all OCTR sensors (after small adjustments).
- 3. Applicable to both oceanic and coastal waters.**
4. Available in SeaDAS and BEAM.
5. Uncertainties of IOP products can be quantified pixel-wise.